

# Denoising EBSD Data

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Chemnitz University of Technology, Germany

**MTEX** Workshop 2016

# Noise in EBSD Data

```
ebsd = loadEBSD('someData.txt')
```

```
ebsd = EBSD (show methods, plot)
```

Phase	Orientations	Mineral	Symmetry
0	30200	Al	m-3m

```
Properties: ci, fit, iq, sem, x, y  
Scan unit : um
```

```
grains = calcGrains(ebsd)
```

```
plot(grains.boundary)
```

```
plot(ebsd, ebsd.mis2mean.angle)
```

```
plot(ebsd, ebsd.mis2mean)
```

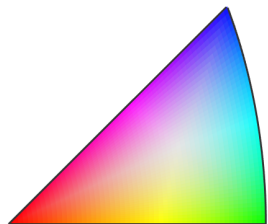
```
oM = ipdfHSVOrientationMapping(...  
    ebsd('indexed').mis2mean)
```

```
oM.maxAngle = 1*degree
```

```
plot(ebsd, oM.orientation2color(...  
    ebsd.mis2mean))
```



[111]



[001]

[101]

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```
ebsd = loadEBSD('someData.txt')
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```

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plot(grains.boundary)
```

```
grains = grain2d(show methods, plot)
```

Phase	Grains	Pixels	Mineral	Symmetry
Crystal	reference	frame		
0	25	30200	Al	m-3m

```
Properties: GOS, meanRotation
```

```
plot(ebsd, ebsd.mis2mean.angle)
```

```
plot(ebsd, ebsd.mis2mean)
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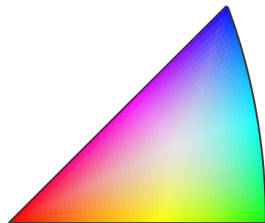
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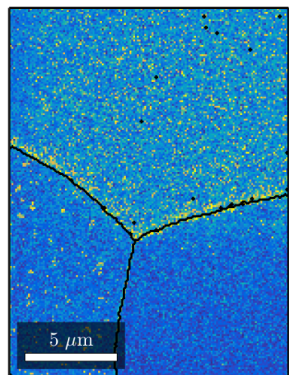
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```
ebsd = smooth(ebsd)
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0 0.5 1

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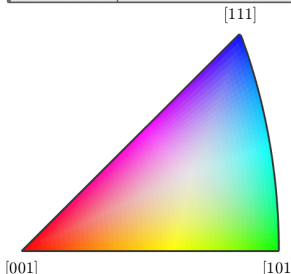
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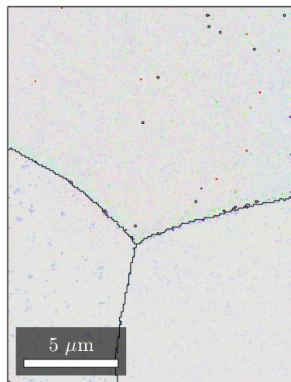
```
oM.maxAngle = 5*degree
```

```
plot(ebsd, oM.orientation2color(...  
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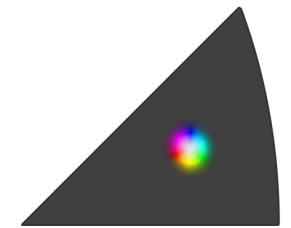
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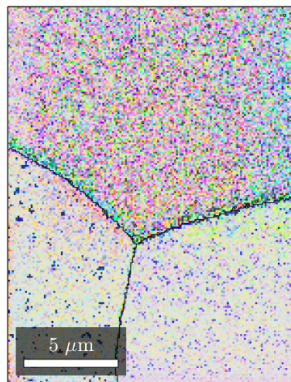
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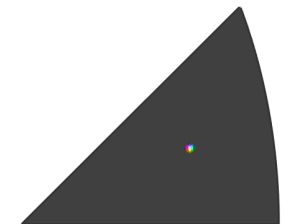
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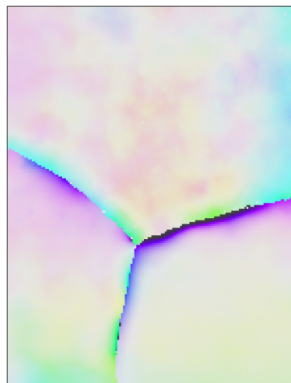
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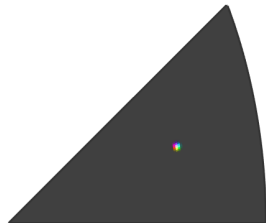
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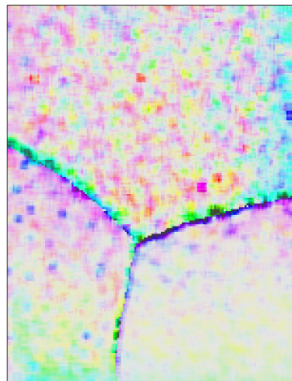
# Some Smoothing Techniques

- 1 Mean Filter: new orientation is mean orientation of neighbors
- 2 Median Filter: new orientation is neighboring orientation with minimum distance to all other neighboring orientations
- 3 Smoothing Splines: Given orientation map  $O_{ij}$ , determine smoothed map  $\tilde{O}_{ij}$  as solution of the minimization problem

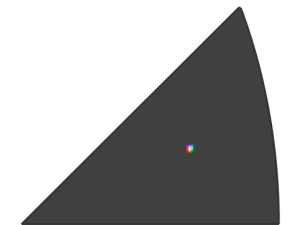
$$\sum_{i,j} \omega(O_{ij}, \tilde{O}_{ij})^2 + \alpha(\Delta \tilde{O}_{ij})^2 \rightarrow \min$$

- 4 Half Quadratic Optimization: Solve

$$\sum_{i,j} \omega(O_{ij}, \tilde{O}_{ij})^2 + \alpha\varphi(\nabla \tilde{O}_{ij}) \rightarrow \min$$



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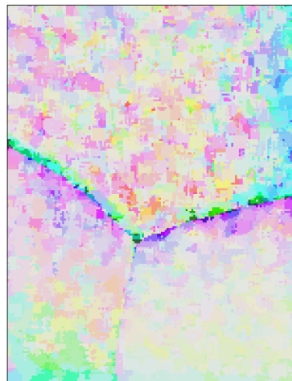
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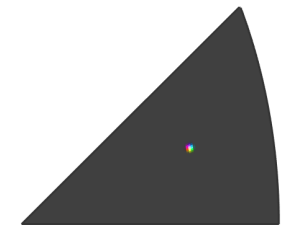
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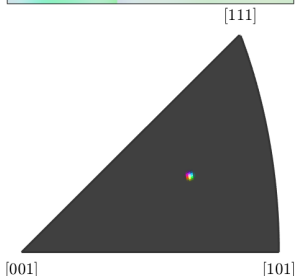
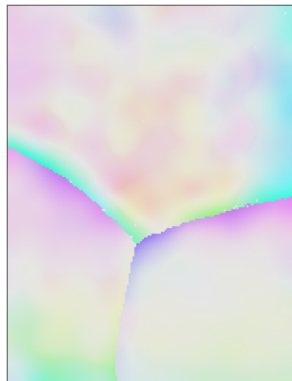
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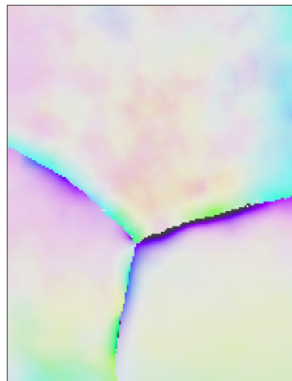
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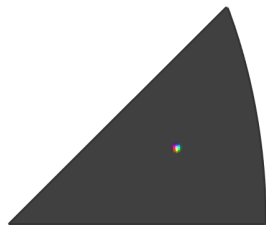
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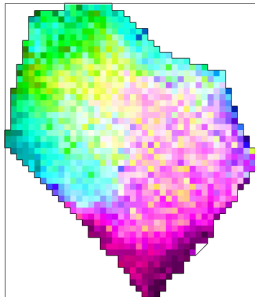
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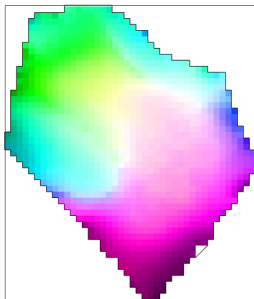
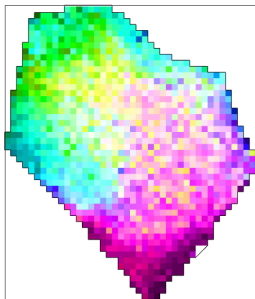
[001]

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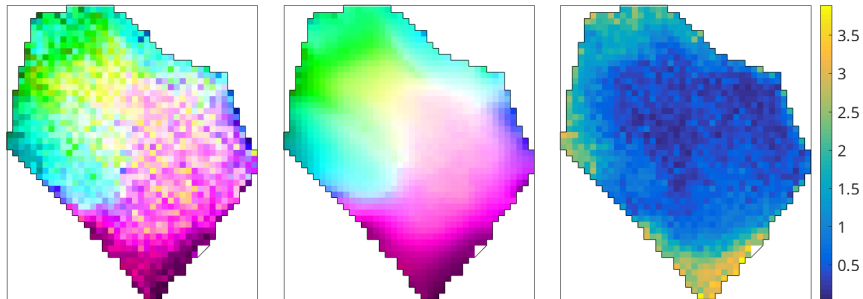
## A deformed grain



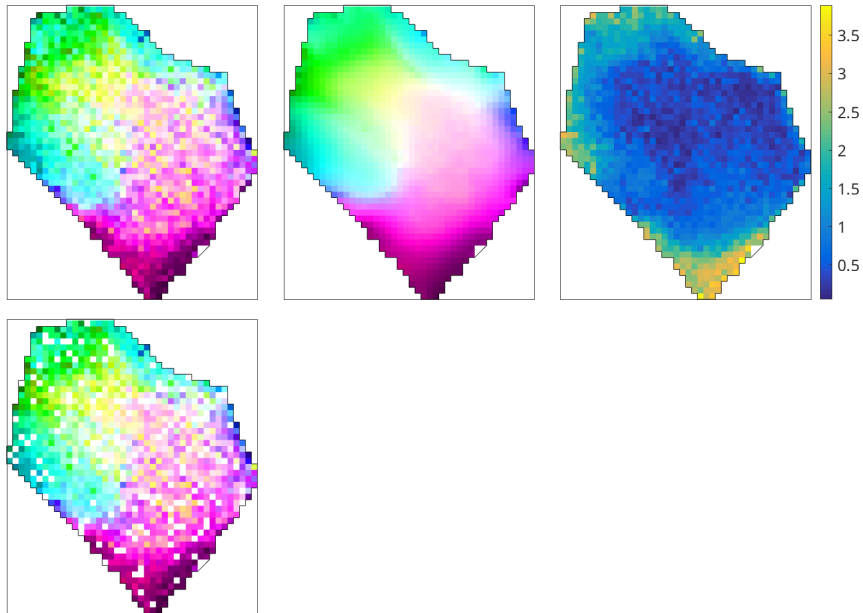
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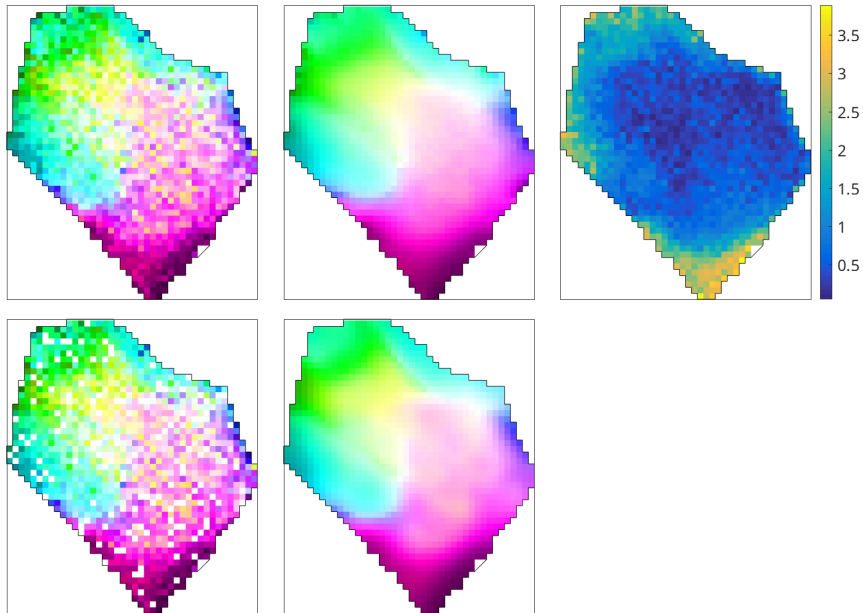


## A deformed grain

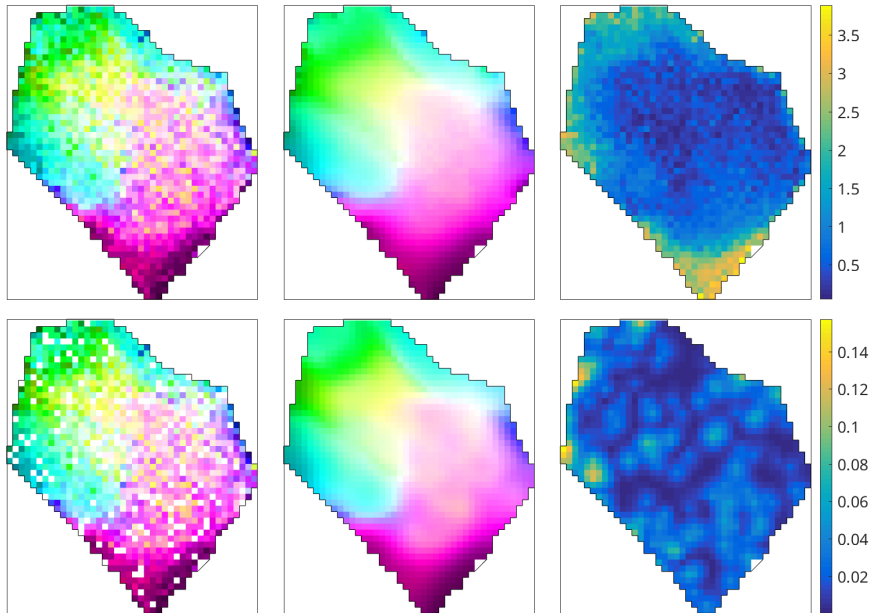




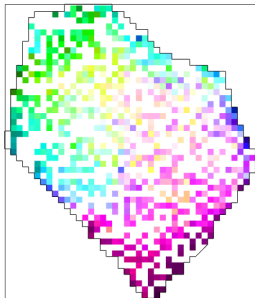
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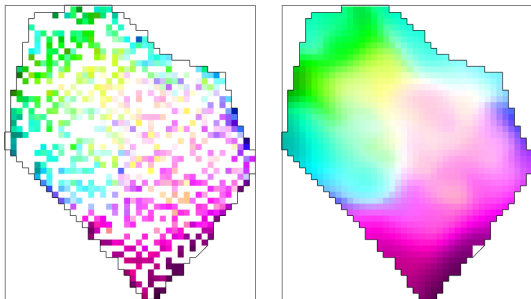
# A deformed grain



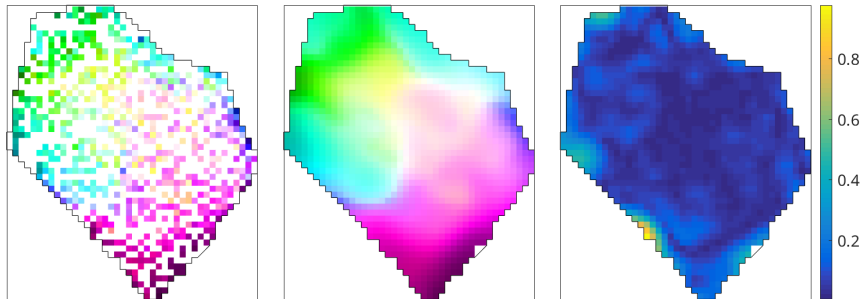
## Not Indexed Data



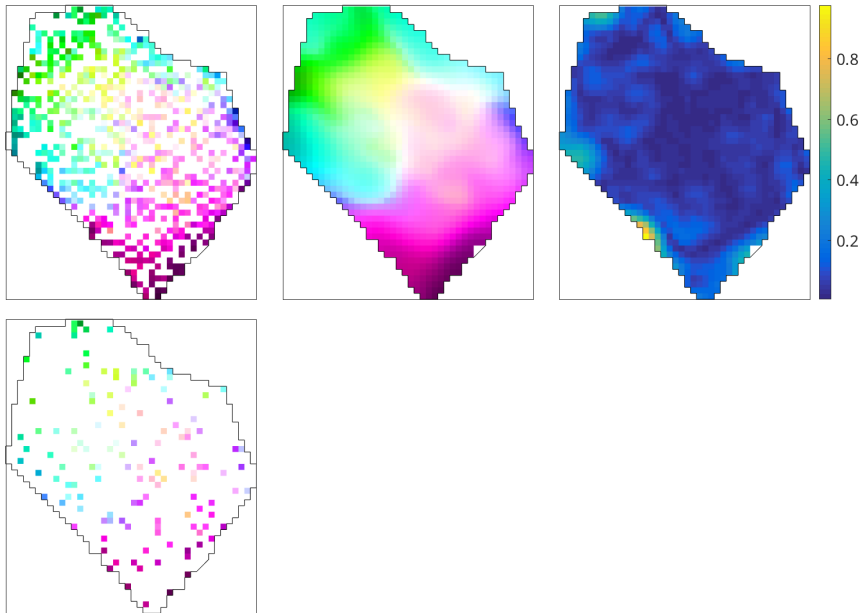
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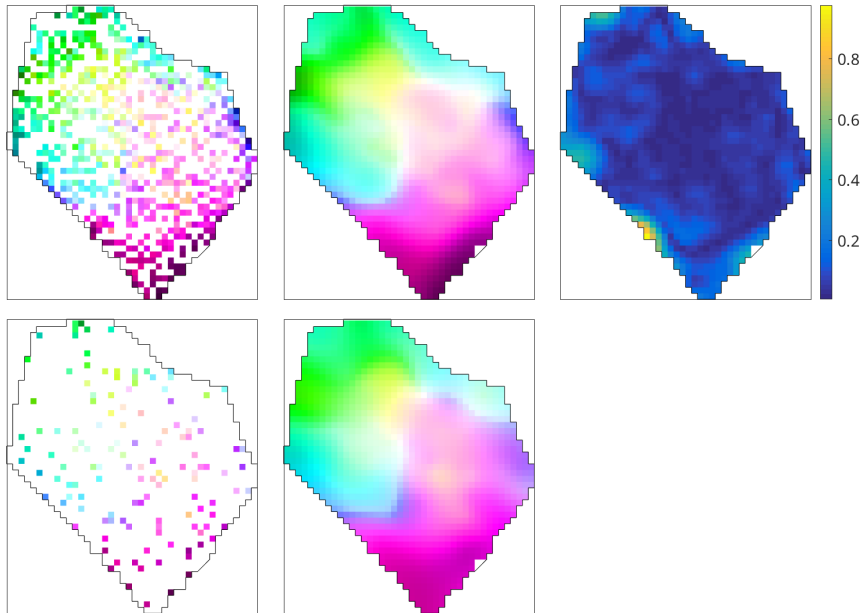
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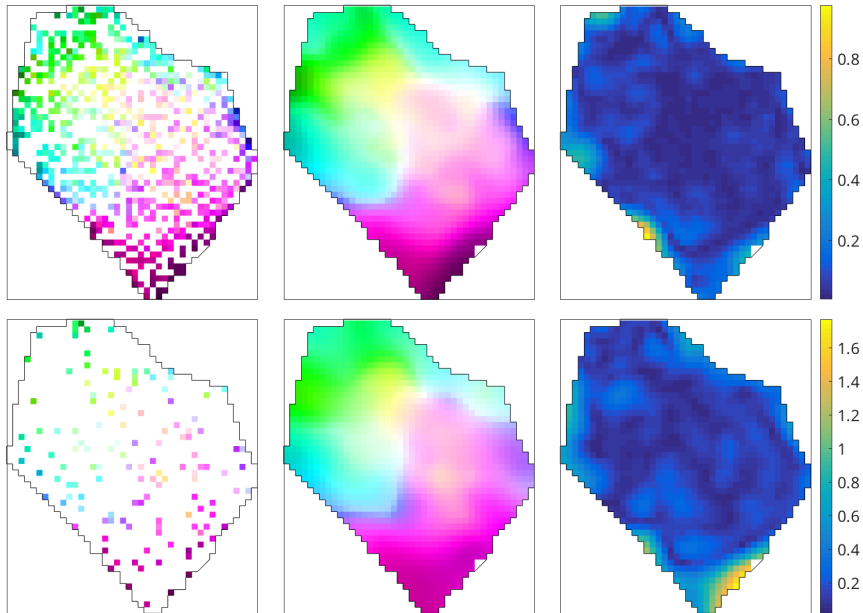
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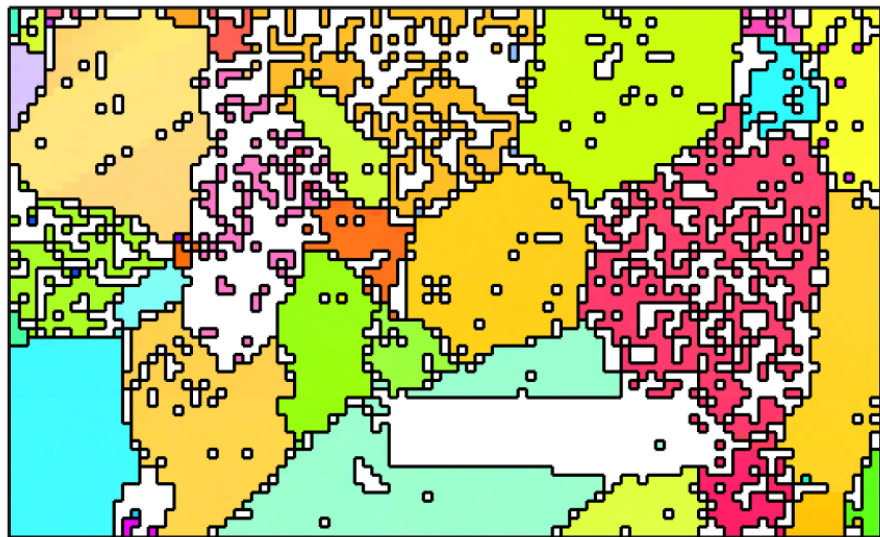




## Grains from partly not indexed data

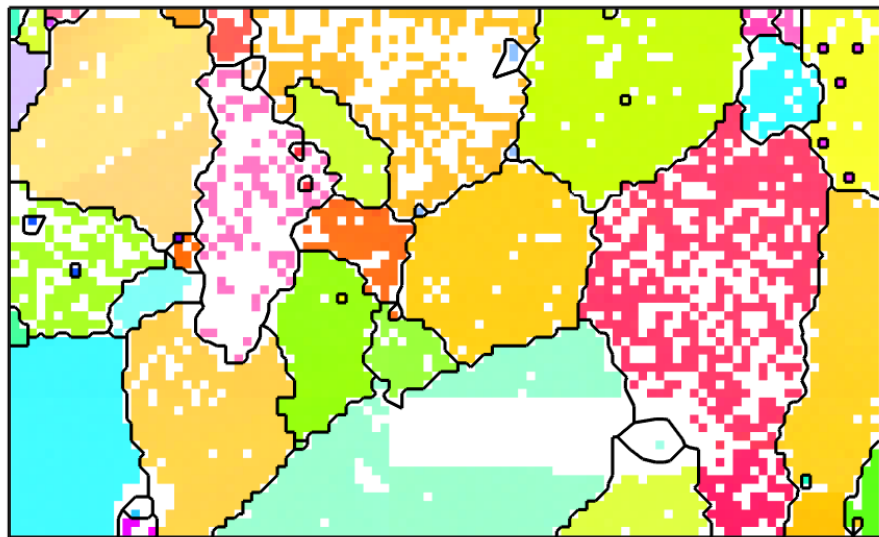


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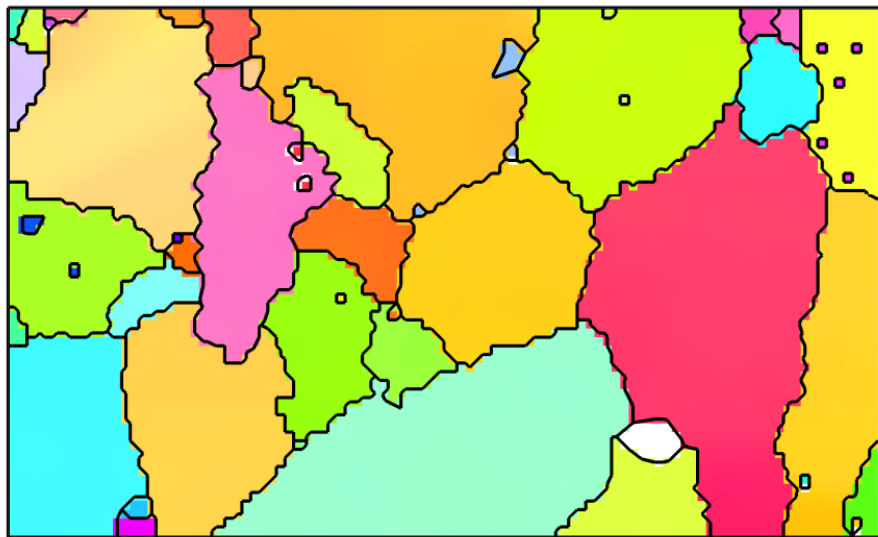
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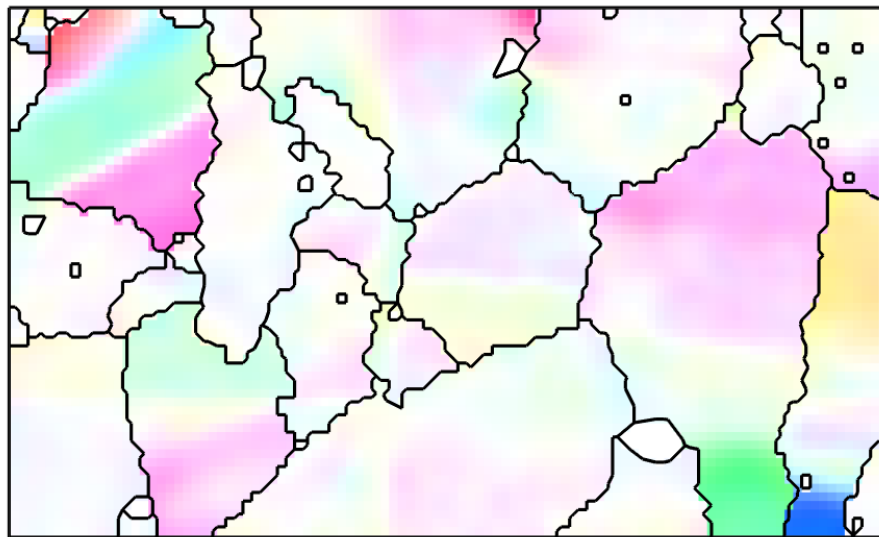


```
grains = calcGrains(ebsd('indexed'))
```

## Grains from partly not indexed data



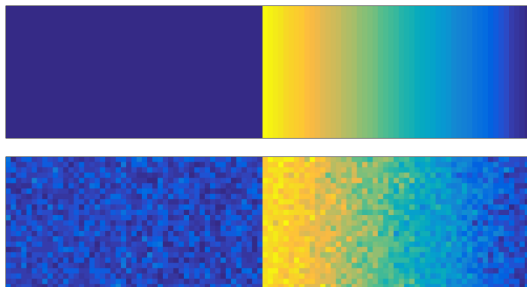
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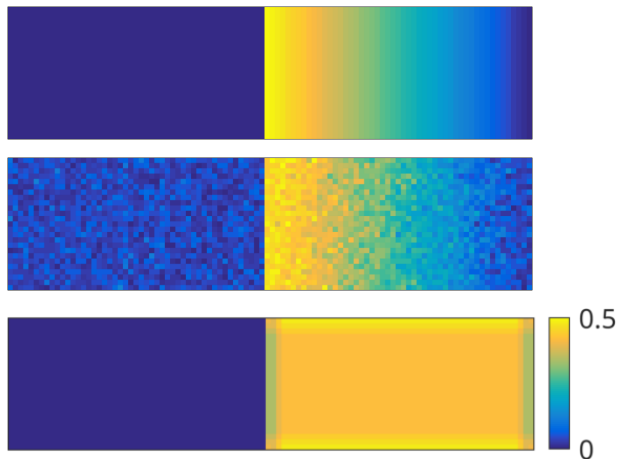
## A synthetic example



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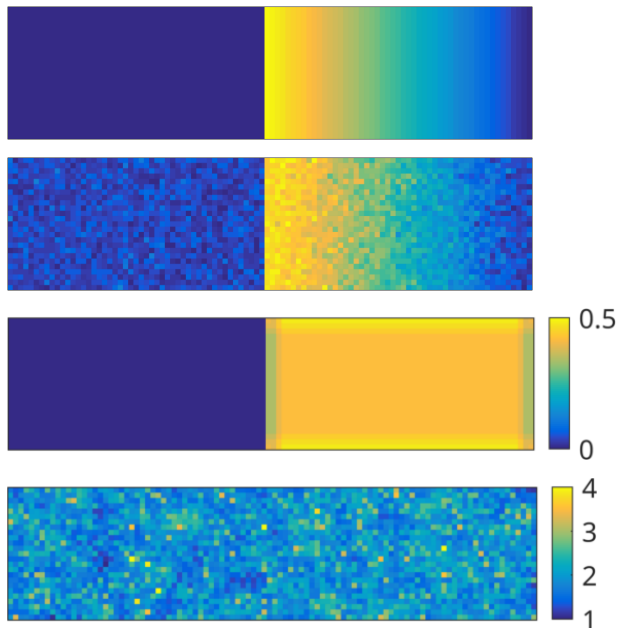


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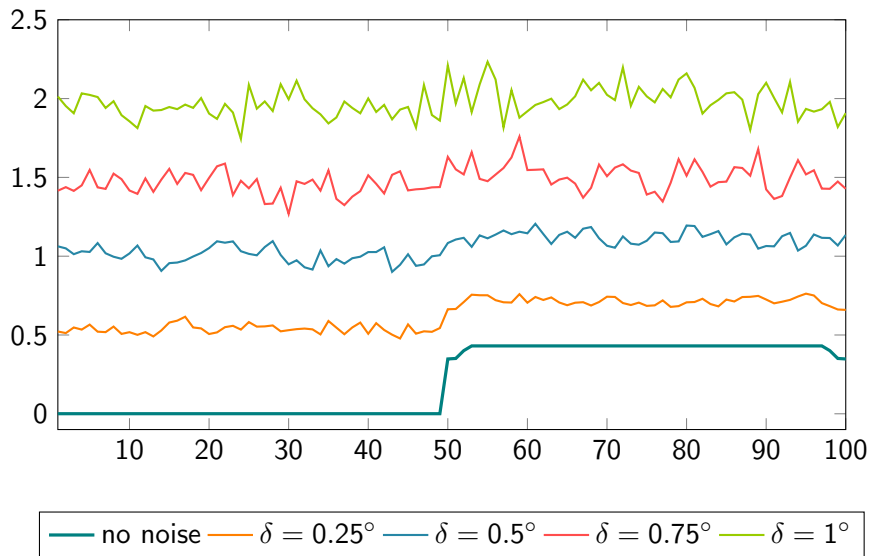




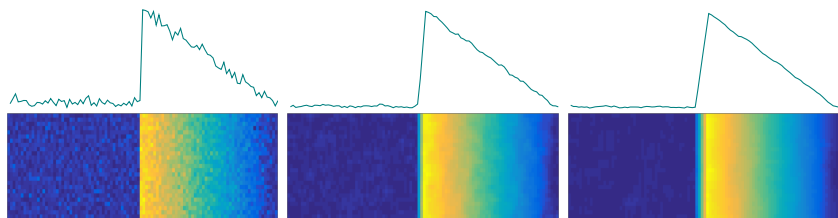
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# KAM

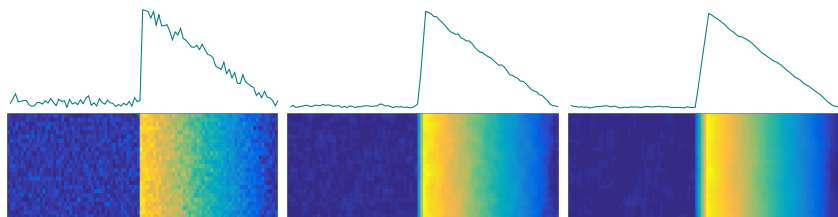


# Basic Denoising Techniques

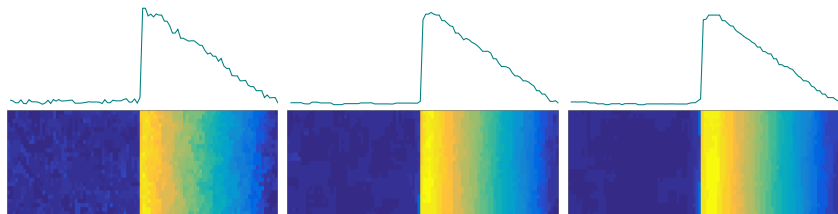


noisy data, mean filter: first and second neighbor

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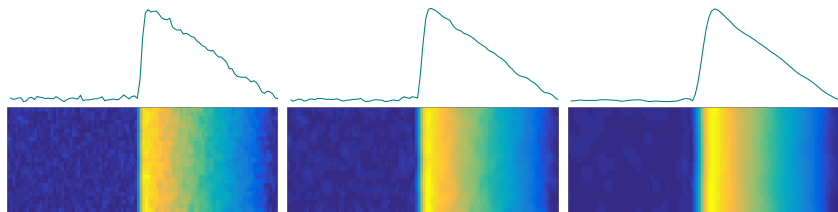


noisy data, mean filter: first and second neighbor



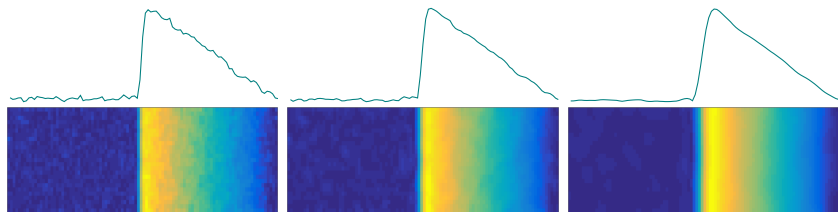
median filter: first, third, and fifth neighbor

## Advanced Denoising Techniques

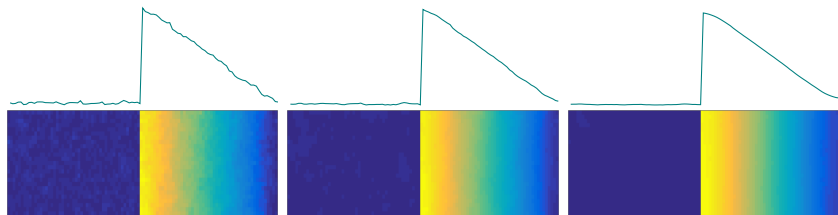


smoothing spline filter with  $\alpha = 0.1$  ,  $\alpha = 0.58$ , and  $\alpha = 5$

## Advanced Denoising Techniques



smoothing spline filter with  $\alpha = 0.1$  ,  $\alpha = 0.58$ , and  $\alpha = 5$



half quadratic filter with  $\alpha = 0.025$ ,  $\alpha = 0.1$ , and  $\alpha = 0.5$

## KAM of Denoised Data

